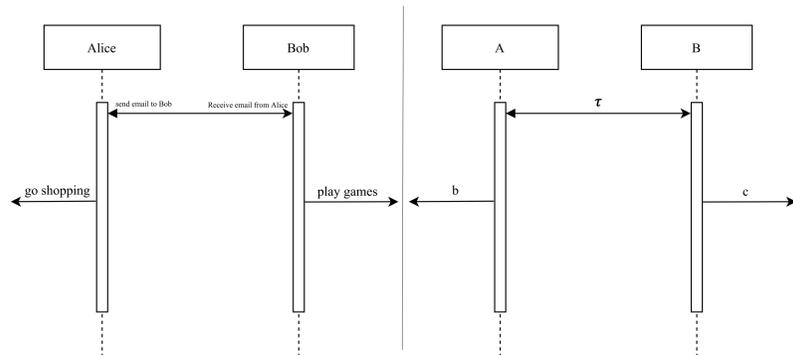


## What is it?

- Computers need to communicate
- How can we verify that communicating systems work the way they should?
- Calculus of Communicating Systems (CCS) models their correctness

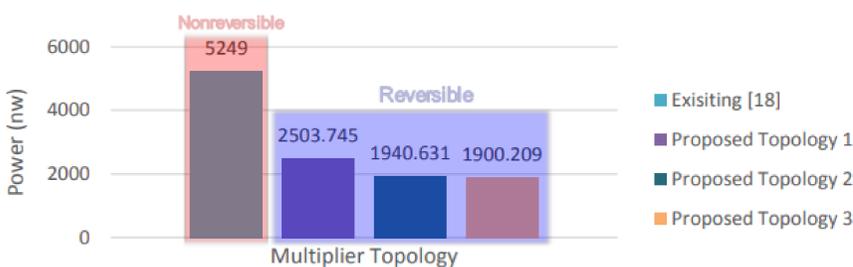
Cat = ( sleep + eat )  
 Person = ( walk | talk )  
 Vending machine = ( receive money . give drink )  
 Alice = ( send email . go shopping ) → Alice = ( a . b )  
 Bob = ( receive email . play games ) → Bob = (  $\bar{a}$  . c )

Represented as a sequential diagram:



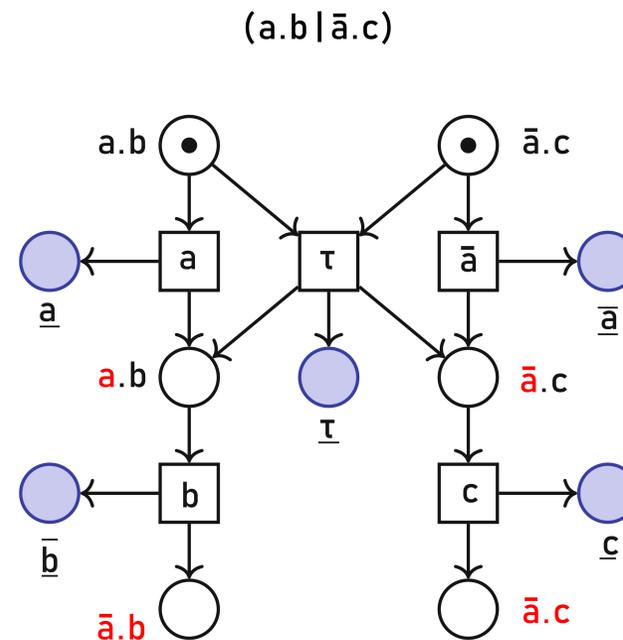
## Why do we care about reversibility?

- Capability to reverse cryptographic functions
- “Rewind” a computer that was compromised
- Reversible cryptography
- Computers are natively capable of reverse program flow, removing the need to manually implement it
- Energy efficient adiabatic circuits



## Abstracting away complexities

We can unravel processes into Petri nets. In reversible systems, we can observe the following:



## Implementation

- First public program to implement a reversible form of CCS
- Coded completely from scratch, including string and parsing libraries
- ~3.5k lines of code, fully open source.
- Implements all the core components of CCS(K):

- Operator precedence
- Summation
- Concurrency
- Action prefixing
- Tau synchronizations
- Full-scope key-based reversibility
- Restrictions
- Tokenized processes

```
[debug] Starting parsing of a.b|a.c
[debug] Begin matching with memory a, counter: 0, set: false
[debug] Found match: a Grammar: LABEL_COMBINED
[debug] Adding prefix: a
[debug] Begin matching with memory b, counter: 0, set: false
[debug] Found match: b Grammar: LABEL_COMBINED
[debug] Adding prefix: b
[debug] Begin matching with memory |, counter: 0, set: false
[debug] Found match: | Grammar: OP_CONCURRENT
[debug] Begin matching with memory ', counter: 0, set: false
[debug] Begin matching with memory 'a', counter: 0, set: false
[debug] Found match: 'a Grammar: LABEL_COMBINED
[debug] Adding prefix: 'a
[debug] Begin matching with memory c, counter: 0, set: false
[debug] Found match: c Grammar: LABEL_COMBINED
[debug] Adding prefix: c
(a.b)|(a.c)
[debug] Checking if a.b can act on Tau{a, 'a}
[debug] Checking if 'a.c can act on Tau{a, 'a}
[Tau{a, 'a}|(Tau{a, 'a})a.b)|(Tau{a, 'a})'a.c)
[debug] Checking if [Tau{a, 'a}]a.b can act on b
[debug] Checking if [Tau{a, 'a}]'a.c can act on b
[b]([b]0)|(Tau{a, 'a})'a.c)
[debug] Checking if [b]0 can act on c
[debug] Checking if [Tau{a, 'a}]'a.c can act on c
[c]([c]0)|([c]0)
```

## What's next?

- New features
- Documentation
- CCS Extensions
- Program Equivalences

## Conclusion

- Distributed reversibility is **viable**
- Our program may server as a base for future reversible protocols



You can view the source code here:

## References

Eva Graversen, Iain Phillips, Nobuko Yoshida: Event Structure Semantics of (controlled) Reversible CCS. RC 2018: 102-122

Ivan Lanese, Iain Phillips. Forward-Reverse Observational Equivalences in CCSK. RC 2021 - 13<sup>th</sup> Conference on Reversible Computation, Jul 2021, Nagoya, Japan. pp.126 - 143, ff10.1007/978-3-030-79837-6\_8ff. ffa1-03338669f

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